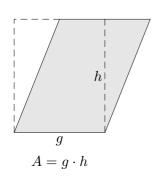
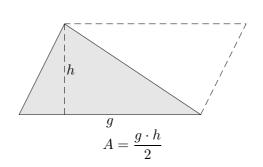
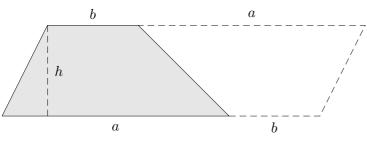
# Flächenberechnung

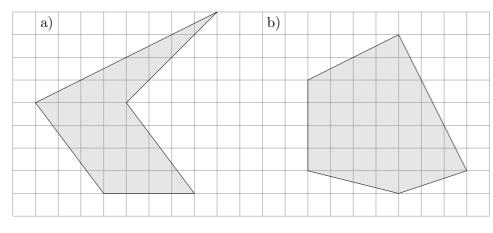


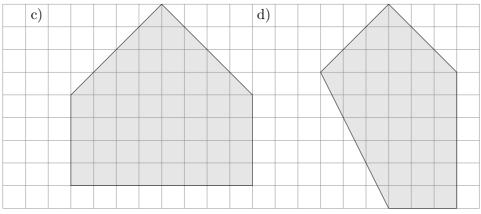




$$A = \frac{(a+b) \cdot h}{2} = \frac{a+b}{2} \cdot h$$

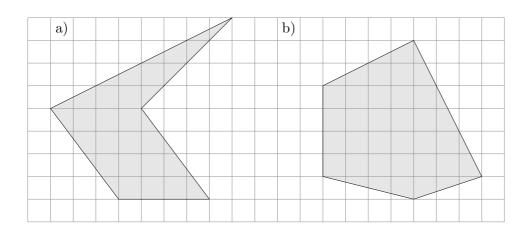
1. Übertrage die Figuren in dein Heft und bestimme den Flächeninhalt (2 Kästchen  $1\,cm).$ 

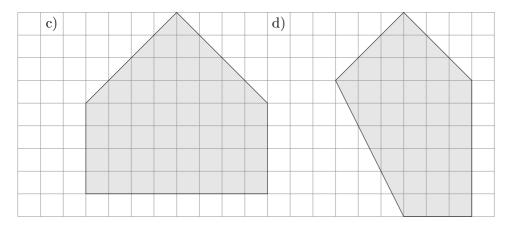




## Flächenberechnung

1. Übertrage die Figuren in dein Heft und bestimme den Flächeninhalt (2 Kästchen 1cm).

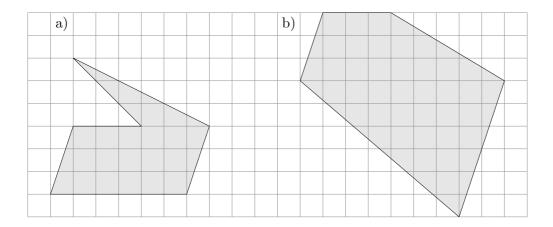




- 1. a)  $A = 6 (cm^2)$  waagerecht geteilt
  - b)  $A = 8,125 (cm^2)$  senkrecht geteilt
  - c)  $A = 12 (cm^2)$
  - d)  $A = 9 (cm^2)$

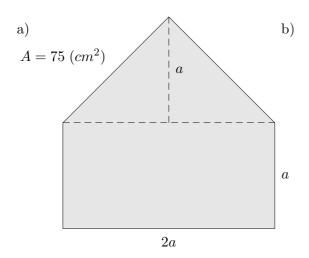
## Flächenberechnung

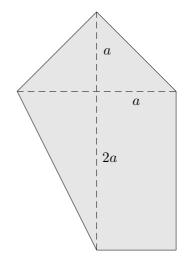
2. Übertrage die Figuren in de<br/>in Heft und bestimme den Flächeninhalt (2 Kästchen <br/>  $1\,cm).$ 



- 2. a)  $A = 5.625 (cm^2)$ 
  - b)  $A = 11,25 \ (cm^2)$

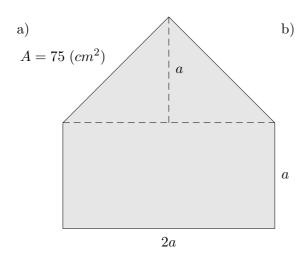
3. Wie müsste a gewählt werden, damit der angegebene Flächeninhalt vorliegt?

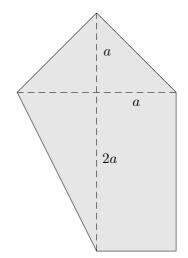




 $A=64\ (cm^2)$ 

3. Wie müsste a gewählt werden, damit der angegebene Flächeninhalt vorliegt?





 $A = 64 \ (cm^2)$ 

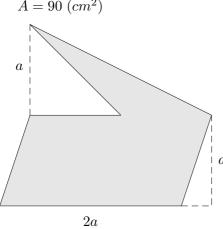
3. a)  $2a^{2} + a^{2} = 75$  $3a^{2} = 75 \mid : 3$  $a^{2} = 25$ a = 5

b) 
$$a^2 + 2a^2 + \frac{2^1 a \cdot a}{2_1} = 64$$
  
 $4a^2 = 64 \mid : 4$   
 $a^2 = 16$   
 $a = 4$ 

4. Wie müsste a gewählt werden, damit der angegebene Flächeninhalt vorliegt?

a)

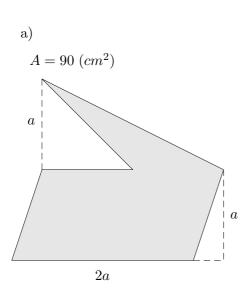
$$A = 90 \ (cm^2)$$

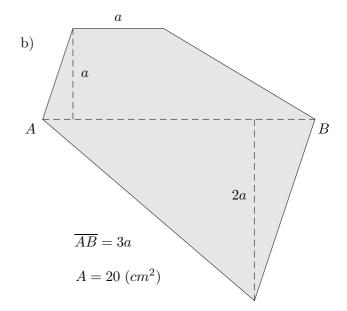


ab) A2a $\overline{AB} = 3a$ 

 $A = 20 \ (cm^2)$ 

4. Wie müsste a gewählt werden, damit der angegebene Flächeninhalt vorliegt?





4. a)  $2a^{2} + \frac{a^{2}}{2} = 90 \quad | \cdot 2$   $4a^{2} + a^{2} = 180$   $5a^{2} = 180 \quad | : 5$   $a^{2} = 36$  a = 6

b) 
$$\frac{3a+a}{2} \cdot a + \frac{3a \cdot \cancel{2}^{1}a}{\cancel{2}_{1}} = 20$$
$$\frac{\cancel{4}^{2}a}{\cancel{2}_{1}} \cdot a + 3a^{2} = 20$$
$$2a^{2} + 3a^{2} = 20$$
$$5a^{2} = 20 \mid :5$$
$$a^{2} = 4$$
$$a = 2$$